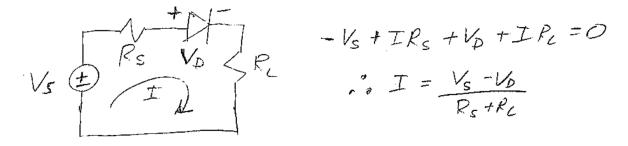
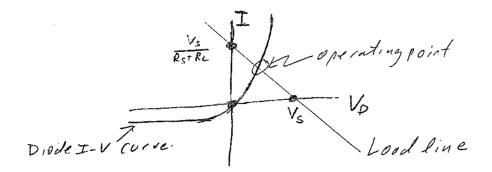
## Load line analysis for a diode circuit (I versus V<sub>D</sub>)

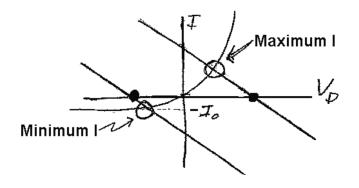


A plot of the current, I, versus the voltage drop across the diode,  $V_D$ , will yield a straight line, called the "Load Line", of possible values of current flow in the circuit. We form the line by noting that I = 0 at  $V_D = V_S$  and that I =  $V_D/(R_S + R_L)$  at  $V_S = 0$ , as shown below:



The so called "Operating Point" is found through the second equation that relates I and  $V_D$ , namely the diode equation I =  $I_0[exp(V_D/K_BT) - 1]$ . The I-V relation for the diode will cross the Load Line at the Operation Point (open circle above). This provides a graphical solution for the currents and voltages in a circuit with a diode.

What happens when the source voltage changes with time, i.e.,  $V_S = V_S(t)$ ? Here the Load Line varies with time; the slope is constant at  $dI/dV = -1/(R_S + R_L)$  while the intercept shifts, as shown below. When  $V_S(t)$  varies symmetrically around zero, as with the AC line, we see that the maximum positive value of  $V_S(t)$  leads to the maximum current flow, while the maximum negative value of  $V_S(t)$  leads to a minimal current, so that asymptotically  $I(V_S \rightarrow -\infty) \rightarrow -I_0$ . The rhythmic change in Operating Point (open circles below) is the basis of the half-wave rectifier that you constructed.



Just to emphasize what we learned, let's look at a second slightly more complicated load-line situation in which we have two supplies,  $V_S$  and  $V_B$ . We ignore the resistance of the diode,  $r_D$ , calculated as  $r_D = (dV_D/dI)^{-1}$ , in writing Kirchhoff's voltage law:

Rs at 5 2 RB r 70 <<|-V5+R570+70770RB+VB (VS-VB) - 70 (RS+RB) 15-13 Q >7D

For a value of  $R_B$  that is too large, the operating or Q-point moves to the left and, if it moves too close to the origin, the diode conducts poorly (and  $r_D$  cannot be neglected).